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LOCAL SEARCH PARTICLE SWARM OPTIMIZATION ALGORITHM CHANNEL ESTIMATION BASED ON MC-CDMA SYSTEM

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ABSTRACT

Channel estimation is an exact significant technique to work around the influence of channel fading's which jamming pilot symbols and produced Bit Error Rate (BER) degradation. That the market for wireless communications infrastructure matures equipment vendors are under increasing pressure to provide low cost solutions toreduce and operators wireless technology complexity. In this paper, archive new channel estimate schema named Local Search Particle Swarm Optimization (LS-PSO) in the Multi Carrier Code Division Multiple Access (MC-CDMA) system suggested that was based on a combination of classic particle swarm optimization and genetic local search algorithms. The proposed channel estimator tested under channel fast fading for different situations. In addition, the transmitter and receiver design emphasis on the 16, 32 and 64-Quadrature Amplitude Modulation (QAM) system and gold code with length 8. Simulation results, in MATLAB, show that the proposed LS-PSO for MC-CDMA system could provide a better BER performance and flexible manner.

Keywords: MC-CDMA, BER, channel estimation, LS-PSO.

1. INTRODUCTION

The increase in consumer demand and the exponential growth of wireless systems, which enable consumers to communicate anywhere through the information, has in turn led to the emergence of many portable wireless communications products [1]. This research works mainly to the integration of targets as far as signal processing applications in a one device. Since integration through software applications concessions speed of the system, integration through hardware will be the better compliment. CDMA is a completely new idea in the field of wireless communications, Multi-carrier communications as MC-CDMA is usually to provide the ability to transfer high with high efficiency in bandwidth wireless communication systems [2].

From the channel has suffered from the time of the various factors and frequency selective fading to improve mobile communication systems. So channel estimation is the most critical factor need to do with inserting pilot symbols which is necessary before the demodulation MC-CDMA signals reduce the BER and achieve less distortion of the output data. It was used in wireless standards, mainly for broadband multimedia wireless facilities. The reason for this is the concern designers to reduce energy consumption of the system. In [3], subspace blind channel estimation for the downlink of is concerned for MIMO MC-CDMA with single transmits and receive antenna is proposed. In [4], subspace blind channel estimation for MC-CDMA with multiple transmits antennas is presented. Wen *et al.* have proposed a PSO algorithm based direct-sequence code-division multiple-access systems (DS-CDMA) for multiuser detector. Using considering both local and global exploration maximum

likelihood, their suggested system has used heuristics in order to function possibly around computational intractability [5]. Computer simulation has proved that their suggested detector provides near-optimal performance with significantly reduced computational complexity than the existing sub-optimum detectors. The channel estimation of an MC - CDMA system based on Least Square (LS) Estimator algorithm and linear interpolation in frequency domain over multipath fading channels was proposed [6]. In [7], the performance of an MC-CDMA system employing minimum mean square error (MMSE) multiuser detection at the receiver was evaluated using two pilot symbol assisted channel estimation schemes, the maximum likelihood (ML) estimation and the MMSE estimation. It was shown that the MMSE estimator significantly outperforms the ML estimator in non-sample-spaced channels where path delays are closely spaced with respect to the timely resolution of the system. In [8] optimal threshold value obtained based on wavelet decomposition and therefore they could improve the channel estimation. In [9], evolutionary algorithm PSO developed in which searches for optima by updating generations for random particles. In [10] Local search make PSO algorithms accurately and fast convergence to the Pareto optimal front, such as multi-objective local search. In this paper, MC-CDMA is based on novel channel estimation called the Local Search PSO. The computation complexity of the proposed LSPSO algorithm is proven to be as low complexity, the computation complexity of the proposed LSPSO algorithm is proven to be as low complexity as close to the correlate with a substantial comparable performance gain like PSO algorithm. Lastly, results pilot

the BER versus Signal to Noise Ratio (SNR) to become the result much better.

2. THE CLASSIC PSO ALGORITHM

Particle swarm optimization is a population based stochastic optimization similar to simulate the social behavior of swarms of the birds. A swarm of particles, "fly", in PSO algorithm, through research that the area of research in n-dimensional space the globally optimal. Kennedy and Eberhart established for the first time a solution to the problem of optimization of nonlinear complex by imitating the behavior of flocks of birds. They are produced the concept of function, optimized by a swarm of particles [11]. There are some parameters in the PSO that may affect performance. For any problem, optimize certain, some of these parameter values and choices have a significant impact on the efficiency of the method of PSO, and other parameters have an impact small or non-existent. Parameters PSO core is a swarm size or number of particles, the number of iterations, the components of velocity, and acceleration coefficients bellow pictured. Moreover, influenced by PSOsimilar weight, inertia, speed clamping, and the speed of construction and these standards

All particles of the two advantages related velocity and position. Each particle is also the best memory location that is found to the point (*p*-best), and finds the best site found so far by all particles in the population (*l*-best). In each step of the algorithm, particles are moved from the current situation through the application of Transmission them [12]. The magnitude, velocity versus direction, is affected by the velocity in the prior redundancy and the location of the particles to compare its *P*, *l*-best. Therefore, each iteration algorithm and the direction and magnitude of movement of each particle is the purpose of its own history and social influence of the group. Overall, the PSO algorithm can be described as follows:

a) Initially, velocity and position of particles are produced randomly in search space. Each particle *i* has $x_i = (x^1_i, x^2_i, \dots x^O_i)$ position vector and velocity vector $v_i = (v^1_i, v^2_i, \dots, v^O_i)$, where O is length of solution space.

b) Calculate the fitness value of every particle and location of the particle according to the highest fitness. If the present value of fitness is greater than the value of the best fitness found in the particle so far, then *p*-best is updated and updated *l*-best.

c) Estimate the velocity, for each particle, based on the following equations:

$$V^d_i(1+t) = WV^d_i(t) + (p - best^d_i(t) - x^d_i(t)) +$$

$$c_2 r^2_i(t)(l - best^d_i(t) - x^d_i(t)) \tag{1}$$

$$W = W_{max} - \frac{W_{max} - W_{min}}{iteration} \times iteration \tag{2}$$

Where, c_1 and c_2 are constants that weigh the influence of individual learning and social influence, respectively, and r_i are the random variables, between 0 and 1, representing the movement freedom of any particle, and W is the inertia of the system.

d) According to the next equation update the position (*x*) of every particle:

$$x^d_i(t+1) = x^d_i(t) + v^d_i(t+1) \tag{3}$$

e) Repeat the steps between 2 to4 until it reaches the event of termination either precision or the number of iterations. The PSO pseudo code has been applied as shown in Algorithm 1.

Algorithm 1: Pseudo-code algorithms
❖ **Require**: X, L, K_p;
❖ **For** *p=1:P* do

$X_p = \vartheta_{N \times 1}$
$X_p[k] = X[k], k = K_{p-1}, \dots \dots, K_p - 1$
▪ **If** *p=P* then
$X_p[K_p] = X[K_p]$

▪ **END**

$x^p(t) = ifft(X_p, NL)$
▪ **For** *d=0: D_{step}:D_{Max}* do
$x^p_d = e^{j2\pi k_p d}/_{NL}$ Circshift (x^p, d) {Generate delay copies of the signal}

▪ **END**
❖ **END**
❖ **Return** x^p_d

3. MC-CDMA SYSTEM BASED LSPSO

The MC-CDMA system model consists of two parts, the transmitter and the receiver. On the transmitter side there is the number of blocks programmed and tested separately first, then connected together to form the transmitter part, Figure-1, shows MC-CDMA system block diagram.

The information data are modulated using an M-QAM modulator. The data modulated symbols are represented by:

$$D(n) = [d_1, d_2, d_3, \dots d_n] \tag{4}$$

The user specific gold code cg is generated from a pseudorandom noise (PN) generator, PN code sets can be generated from linear feedback shift registers, by changing its initial conditions [13];

$$C(g) = [c_1, c_2, c_3, ..., c_g] \qquad (5)$$

Where, C_g is equaled exclusive-or between C_1 and C_2 then,

$$C_N(n) = P_2 + P_5 + ... + P_{n-1}, n = 1, 2... g, P=1 \qquad (6)$$

Spreading data symbols are converted from serial-to-parallel vector Y_s of length $N_d = n \times g$.

The pilot vector Y_P of length N_p is signified by:

$$Y_p N_p = [y_1, y_2, ..., y_{np}] \qquad (7)$$

In additions,

$$y_n = y_{n-1} + y_{n-3} + ... y_2, n = 1, 2, ... N_p \qquad (8)$$

Where, Y_P is generated by varying the initial conditions using the PN code generator given in equation (6), and now this vector is concatenated with the vector Y_s to form a concatenated vector Y_{sp} of length N_c ;

$$Y_{sp} = [Y_s Y_p] \qquad (9)$$

$N_c = N_d + N_p$ is the number of sub-carriers of Inverse Fast Fourier Transform (IFFT). Then, the parallel-to-serial (p/s) convertor of the transmitted signal will pass through the paths frequency selective fading channel. The channel is modeled using Jake's classical [14], where it's discrete impulse response h_n is defined as:

$$h_n = \sum_{l=1}^{L} h_l \, sinc\left\{\frac{\tau_l}{T_s} - n\right\} \qquad (10)$$

Where, T_s is the input sample period to the channel, τ_l is the set of path delays, L is the total number of propagation paths, and is the l-th path gain.

At the receiver, (s/p) conversion, the received signal is sent to the FFT block which transforms it into a frequency domain vector $QAM (k)$ of length NC.

$$QAm(k) = Y_{Spr}(k) H(k) + F(k) \qquad (11)$$

Let $Y(k) = Y_{SPr}$ for minimalism, $H(k) = FFT\{h(n)\}$ and $F(k) = FFT \{Fading\ channel\}$. Also, $QAm(k)$ Is de-

interleaved, the received pilot signals $P(k)$ of length N_p are extracted and used to estimate the channel impulse response to the data sub-channels in the channel estimation block. The LSPSO channel estimator is used:

$$H_{LSPSO} = \frac{P(k)}{Y_P} \qquad (12)$$

H_{LSPSO} is included channel estimation using local search PSO methods, which were in section 2, The received data from the M-$QAM(k)$ of length N_d is multiplied H_{LSPSO} with to find the estimated data vectors. The estimated data vectors, each of length N_d are summed; p/s is converted and applied to a de-spreader to obtain the estimated output data.

4. THE PRPOSED ALGORITHM

Figure-2 shows the block diagram for the proposed LS-PSO algorithm. The MSE function of LSE can be used to achieve the optimal level of pilot tones the objective of obtaining to the algorithm LSPSO. For the improving the quality of the solution is to implement a scheme of local search (LS), where it intends to explore the area less crowded in the current archive perhaps to get more non-dominated solutions. In this section, an amended local search scheme MLS is provided, which is a modification of the Hooke and Jeeves method to deal with the MOP [15]. General procedure for the MLS scheme can be described by next steps:

Step 1: Start with a randomly chosen point($X_m \in R_n$) $\in E^t$, and the set step lengths Δx_i in all of the coordinate directions, u_i, $i = 1...n$. Set $m = 0$, shoulder that m is the size of E^t.

Step 2: Set $m = m + 1$, and $k = 1$ where k is the number of tests ($s.t., k = 1, ..., k_{max}$) to obtain a more favoured solution than X_m.

Step 3: The variable x_i is perturbed around the present provisional base point X_m to get the new temporary base point X'_m as:

$$x'_m = \begin{cases} x_m + \Delta x_i u_i & if\ f^+(.) > f \\ x_{m-} \Delta x_i \, u_i & if\ f^-(.) > f(.) \cap f^+(.) \\ x_m & if\ f(.) > (f^+(.) \cap f^-(.)) \end{cases} \qquad (13)$$

$\forall_i = 1, 2, ..., n$

Where, $f(.)=f(X_m)$, $f^+ (X_m + \Delta x_i u_i)$, and $f(.)=f(X_m - \Delta x_i u_i)$. Assume $f (.)$ is the evaluation of the objective functions at a point.

Step 4: If the point X_m is unchanged.

While the number of trial k not satisfied, reduce the step length Δx_i using the following dynamic equation,

$$\Delta x_i = \Delta x_i (1 - (r)^{k/k_{max}}) \qquad (14)$$

Where, r is a random number $r \in [0, 1]$, and go to step 3.

Step 5: Else, if x'_m is preferred than,x_m,(i.e.,$(x'_m)>f(x_m)$) then the new base point is x'_m and go to step 6.

Step 6: With the help of the base points x_m and x'_m, establish a pattern's direction S as follows:

$$S = x'_m - x_m \qquad (15)$$

Find a point x''_m
$$x''_m = x'_m + \lambda S \qquad (16)$$

Where, λ is the step length, which could be taken as λ = 1.

Step 7: If $f(x''_m) > f(x'_m)$ set $x_m = x'_m$, $x'_m = x''_m$and go to step 6.

Step 8: If $f(x''_m) \leq f(x'_m)$set $x_m = x'_m$, and go to step 4.

These steps apply to all non-dominated solutions in E^t, which enables the algorithm to realize the less congested region in the external archive. Algorithm 2 shows the pseudo code of the proposed

Algorithm 2:Pseudo code of the proposed LSPSO
- ❖ **Initialize:**Parameters for PSO
- ❖ **Identify:** local set= {},
- ❖ **Identify:** global set; {The nearest member in $G^{t=0}$to the *i-th* particle is $GP^{t=0}$}
- ❖ **Set:** the external set;
- ❖ **While:** travel not completed PSO algorithm
- ▪ **While:** sub-travel notcompleted
- ▪ **Generate**

Evolve the infeasible particle unit they can be feasible
- ▪ **Update**
- ▪ **Identify:** GP_i^{t+1}
- ▪ **Update:** E^t
- ▪ **END**
- ❖ **END**
  LS Scheme
- ❖ **Start:** with x_m
- ❖ **Generate**
- ❖ **While:** stopped criterion satisfied **do**
- ▪ **If** Δx_i Reduce **then**

- ▪ $\Delta x_i = \Delta x_i(1 - (r)^{k/k_{max}})$

- ▪ **END**
- ▪ Establish a pattern's direction S
$S = x'_m - x_m$;
$x''_m = x'_m + \lambda S$; λ is the step length
- ▪ **If** $f(x''_m) > f(x'_m)$
- ▪ **Set:** $x_m = x'_m$, $x'_m = x''_m$,
- ▪ **Else ifSet**: $x_m = x'_m$,

- ▪ **END**
- ❖ **END**

5. RESULT AND DISCUSSIONS

In this section, performances of single user and multi-users of the MC-CDMA system based LSPSO channel estimation method are evaluated using MATLAB simulation program as shown in Figure-3, Figure 4, Figure-5 and Figure-6. Moreover, the specification of the model parameters for MC-CDMA, which was used in Table-1.

Table-1. MC-CDMA Simulation Parameters.

Parameters	Value
Number of transmitting bits	10000
Modulation	16, 32and 64 QAM
FFT and IFFT size	256
Spading code type	Gold code
Length code	8
Additive noises	20dB
No. of users	4, 8
Channel estimation	LSPSO, PSO, MMSE and LS
Inertia weight	0.5
Number of Particles	20
PSO iteration	10
Cognitive factor	2.8
Social parameter	1.1

Figure-3 and Figure-4 illustrate the BER vs. SNR of MC-CDMA system based 16 QAM with various types of channel estimation, LSPSO channel estimation, method, in four and eight users, is better. In Figure-5, 32QAMmodulation for four users is presented while, Figure 6 eight users 64 QAM modulation, Moreover, the proposed system based on Simulink program in MATLAB, the input is represented by a random integer generator frame based, both the spreading gold code and pilots which are LSPSO based are built as subprograms using MATLAB functions. The LSPSO channel estimation also builds using the MATLAB function the proposed system is tested for SNR= 20 dB in AWGN and 3-paths fast Rayleigh fading channel where the SER is recorded equal 0.312, as shown in Figure-7.

6. CONCLUSIONS

This paper, presents a multi carrier communication system based on a novel particle swarm algorithm for channel estimation to optimize the power of pilot tones. This algorithm, estimators was used to estimate the efficiency of the channel in the MC-CDMA

system, that's called LSPSO because it's a hybrid between PSO and genetic local search algorithms. The results of the simulation program explain BER improvement in LSPSO comparison with the other methods tested in various situations, the results also, show set of design flexibility and ease of change and development. Finally, it has been shown that the proposed can relieve the effects of the problem and significant system capacity enhancement can be achieved using the proposed channel estimation instead of the conventional MC-CDMA receiver.
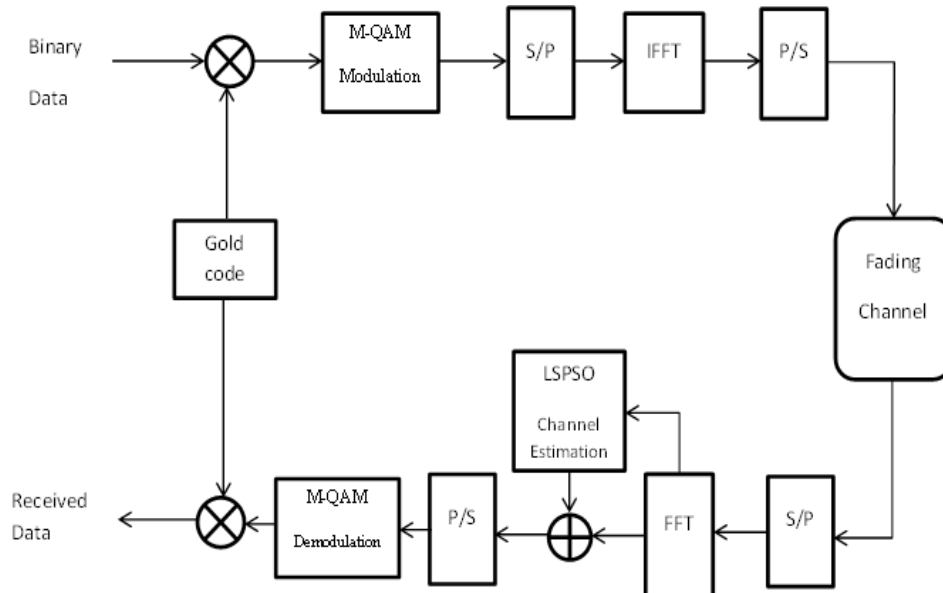
Figure-1. MC-CDMA system based channel estimation.

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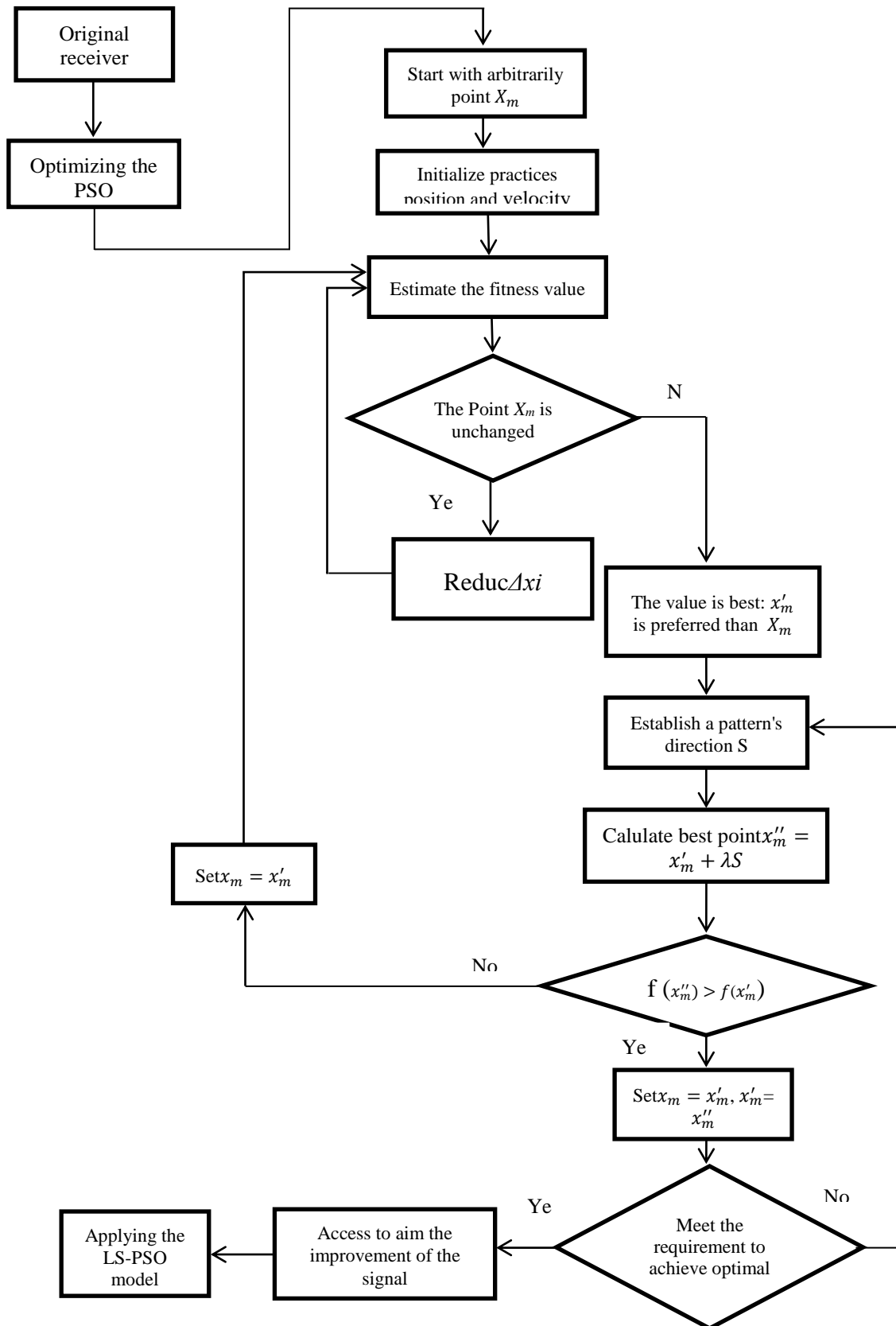
Figure-2. Block Diagram for Proposed LS-PSO Algorithm.
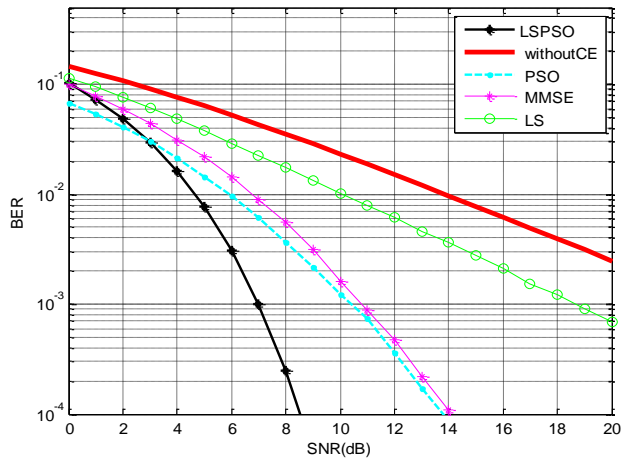
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Figure-3. BER vs. SNR performance of MC-CDMA
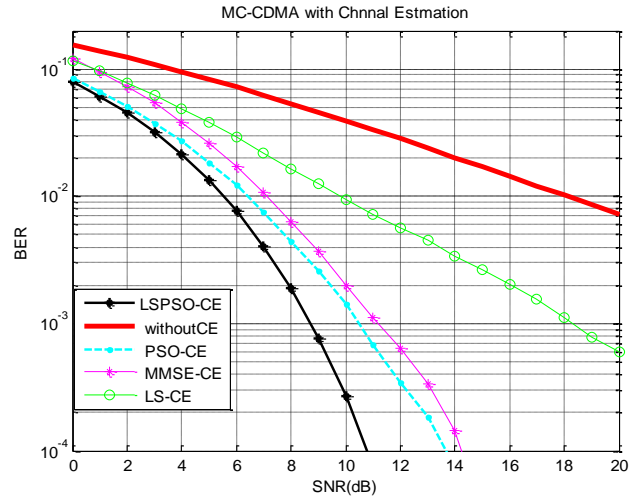system for four users with 16QAM.

Figure-5. BER vs. SNR performance of the MC-CDMA
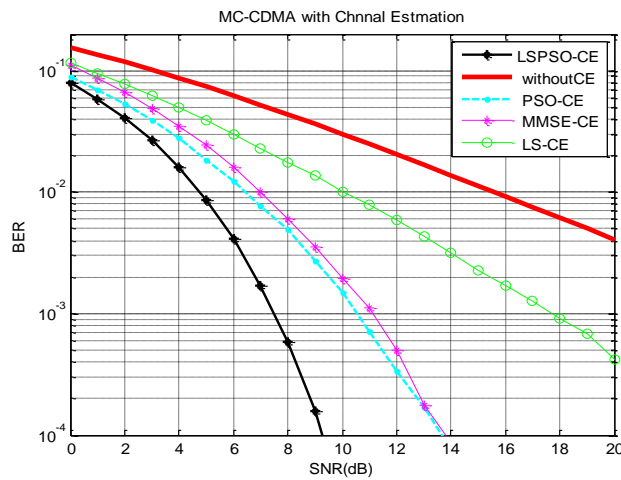system for four users using modulation 32QAM.

Figure-4. BER vs. SNR performance of MC-CDMA
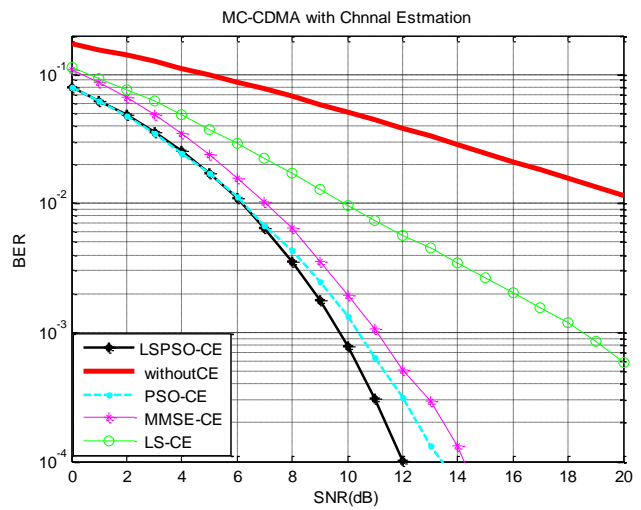system for eight users with 16QAM.

Figure-6. BER vs. SNR performance of the MC-CDMA
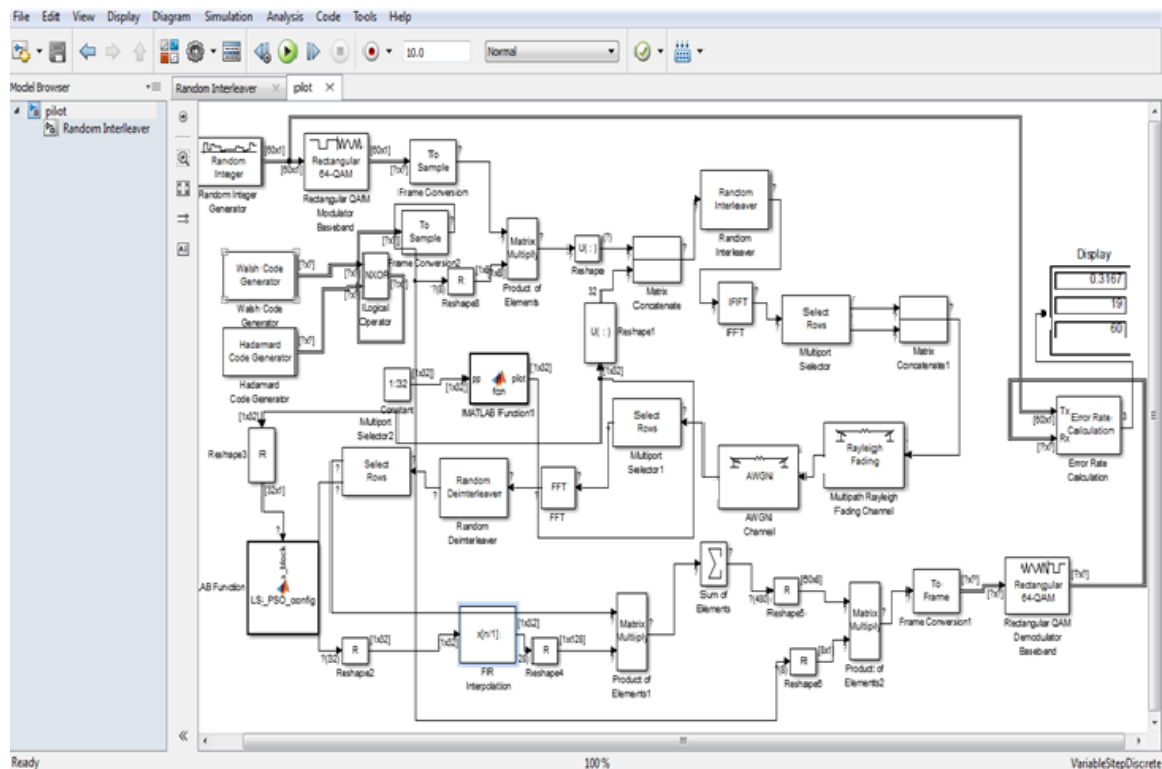system for eight users using modulation 64-QAM.

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Figure-7. Simulink program building MC-CDMA system based LSPSO channel estimation.

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